

# Correspondence between names in the paper *Permutations in Coinductive Graph Representation* and names in Coq scripts

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In this document you will find the list of correspondences between the definitions and lemmas given in the paper and the names used in the Coq scripts. Thoses names are given with the file where they are to be found and the corresponding line.

In the Paper			In the scripts		
Section	Reference	Name	Name	File	Line
1.1	Definition 1	<i>Fin</i>	Fin	Fin.v	32
1.1	Definition 2	<i>ilistn</i>	ilistn	llist.v	111
1.1	Definition 3	<i>ilist</i>	ilist	llist.v	118
1.1		<i>lg</i>	lgti	llist.v	125
1.1		<i>fct</i>	fcti	llist.v	127
1.1		<i>ilist</i> in pointwise bijection with lists (direction $\Rightarrow$ )	ilist2list_list2ilist_id	llist.v	506
1.1		<i>ilist</i> in pointwise bijection with lists (direction $\Leftarrow$ )	list2ilist_ilist2list_id	llist.v	459
1.1		<i>ilist2list</i>	ilist2list	llist.v	259
1.1		<i>list2ilist</i>	list2ilist	llist.v	360
1.1	Definition 4	<i>ilist_rel</i>	ilist_rel	llist.v	153
1.1	Definition 5	<i>Graph</i>	Graph	Graphs.v	32
1.1		<i>label</i>	label	Graphs.v	37
1.1		<i>sons</i>	sons	Graphs.v	38
1.1	Definition 6	<i>Geq</i>	Geq	Graphs.v	54
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2.1	(1)	Assertion (1) about <i>remEl</i>	extroduce_lgti_S	Extroduce.v	377
2.1	(2)	Assertion (2) about <i>remEl</i>	extroduce_ok2'	Extroduce.v	205
2.1	(3)	Assertion (3) about <i>remEl</i>	extroduce_ok3'	Extroduce.v	230
2.1		<i>weakFin</i>	weakFin	Extroduce.v	181
2.1		$\forall i, \text{weakFin } i =_{Fin} i$	weakFin_ok	Extroduce.v	185
2.1	Definition 7	<i>iperm</i>	IlistPerm3	llistPerm.v	228
2.1	Definition 8	<i>iperm'</i>	IlistPerm4	llistPerm.v	235
2.1		<i>lg</i> for <i>iperm</i>	IlistPerm3_lgti	llistPerm.v	289
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2.1	Theorem 1	$iperm \Rightarrow iperm'$	IlistPerm3_IlistPerm4_eq	llistPerm.v	933
2.1	In proof of Thm. 1		IlistPerm3_exists_rec	llistPerm.v	846

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2.1		$iperm'$ preserves reflexivity	IlistPerm4_refl_refl	IlistPerm.v	337
2.1		$iperm$ preserves symmetry	IlistPerm3_sym_sym	IlistPerm.v	459
2.1		$iperm'$ preserves transitivity	IlistPerm4_trans_trans	IlistPerm.v	512
2.1		$iperm$ preserves equivalence	IlistPerm3Rel	IlistPerm.v	984
2.1		$iperm'$ preserves equivalence	IlistPerm4Rel	IlistPerm.v	1008
2.1	Lemma 1	$iperm$ decidable	IlistPerm3_dec	IlistPerm.v	1305
2.1	Lemma 1	$iperm'$ decidable	IlistPerm4_dec	IlistPerm.v	1228
2.2	Definition 9	$skel\_type$	IlistPerm3Cert_list	IlistPerm.v	1317
2.2	Definition 10	$iperm\_skel$	IlistPerm3Cert	IlistPerm.v	1418
2.2	Lemma 2	$iperm \Leftrightarrow iperm\_skel$ (direction $\Rightarrow$ )	IlistPerm3_IlistPerm3Cert	IlistPerm.v	1437
2.2	Lemma 2	$iperm \Leftrightarrow iperm\_skel$ (direction $\Leftarrow$ )	IlistPerm3Cert_IlistPerm3	IlistPerm.v	1428
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2.2		$iperm$ monotone in its base relation	IlistPerm3_mon	IlistPerm.v	1055
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2.3	Definition 12	$ipermb$	IlistPerm7	IlistPerm.v	1801
2.3		$ipermb$ preserves equivalence	IlistPerm7Rel	IlistPerm.v	1836
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2.4	Theorem 2	$iperm \Leftrightarrow ipermb$ (direction $\Leftarrow$ )	IlistPerm7_IlistPerm3	IlistPerm.v	1877
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