

# Activités en deep learning de l'équipe SC

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DeepLearning@IRIT  
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- ▶ Optimisation for the training of neural networks  
PhD Camille Castera
- ▶ Deep generative models for Monte Carlo sampling  
PhD Florentin Cœurdoux
- ▶ Deep learning for music recommendation  
Postdoc Paul Magron
- ▶ Deep learning for embedded satellite image compression  
PhD Vinicius Alves de Oliveira

# Algorithms for Training Neural Networks 1/2

## Motivation

- Deep Neural Networks usually trained with noisy first-order information (stochastic gradients)
- Hard technical limitations, in particular expensive computational cost and limited storage
- Lack of guarantees (convergence of algorithms, etc.)

## Goals

- Build new algorithms for this task, efficiently exploiting second-order information.
- Prove the convergence and other satisfying properties of these algorithms.

## Collaborators

IRIT: Camille Castera (SC) - Cédric Févotte (SC) - Edouard Pauwels (ADRIA)

TSE: Jérôme Bolte

# Algorithms for Training Neural Networks 2/2

Problem to solve:  $\min_{\theta \in \mathbb{R}^P} \mathcal{J}(\theta)$

Idea: Taking inspiration from Newton's second law of dynamics

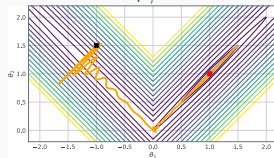
$$\underbrace{\frac{d^2\theta}{dt^2}(t)}_{\text{Accel.}} + \underbrace{\alpha \frac{d\theta}{dt}(t)}_{\text{Friction}} + \underbrace{\beta \nabla^2 \mathcal{J}(\theta(t)) \frac{d\theta}{dt}(t)}_{\text{Transvers. damping}} + \underbrace{\nabla \mathcal{J}(\theta(t))}_{\text{Gravity}} = 0$$

Equivalent formulation where the Hessian is implicit!

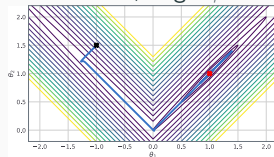
$$\begin{cases} \frac{d\theta}{dt}(t) + \beta \nabla \mathcal{J}(\theta(t)) & + (\alpha - \frac{1}{\beta})\theta(t) + \frac{1}{\beta}\psi(t) = 0 \\ \frac{d\psi}{dt}(t) & + (\alpha - \frac{1}{\beta})\theta(t) + \frac{1}{\beta}\psi(t) = 0 \end{cases}$$

Discretize to obtain **INNA**, a new 2nd order algorithm with two hyper-parameters  $\alpha$  and  $\beta$  driven by Newton's laws.

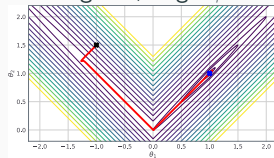
$\alpha$  small,  $\beta$  small



$\alpha$  small, larger  $\beta$



larger  $\alpha$ , larger  $\beta$



# Deep generative models for Monte Carlo sampling

F. Coeurdoux, N. Dobigeon, P. Chainais

- ▶ **Goal:** Estimate a set of parameters  $\theta$  from empirical data  $\mathcal{X}$ .
- ▶ ABC algorithm estimates the posterior of a parameter by simulating the model to produce artificial data sets  $\mathcal{X}$  from distribution  $p(\theta)$ .

## Bayes formula for posterior inference:

$$\text{Posterior} \propto \text{Prior} \times \text{Likelihood}$$

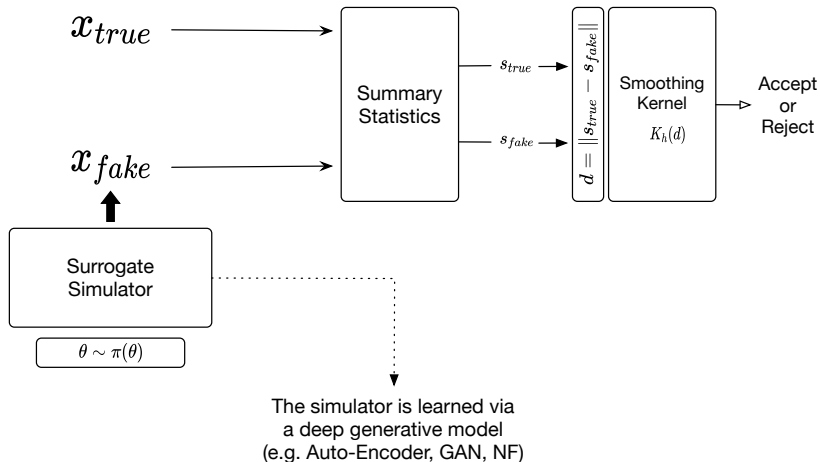
$$p(\theta \mid \mathcal{X}) \propto p(\theta) p(\mathcal{X} \mid \theta)$$

- ▶ **Problem:** A data simulator can be extremely computationally expensive or even not always available

**Proposal:** Leverage deep generative models (e.g Auto-Encoder, GAN, Normalizing Flows) for simulating data conditionally to the parameters of interest :  $\mathcal{X} \sim p(\mathcal{X} \mid \theta)$ .

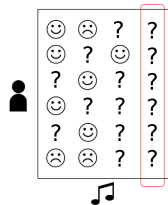
# Deep generative models for Monte Carlo sampling

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# Deep learning for music recommendation (P. Magron, C. Févotte)

- ▶ Goal: predict songs that a user might enjoy.
- ▶ Main idea: exploiting *similarities* between users (and/or songs) from the observed preferences  $\mathbf{P}$ .
- ▶ The **cold-start** problem: how to handle new songs with no preference data?



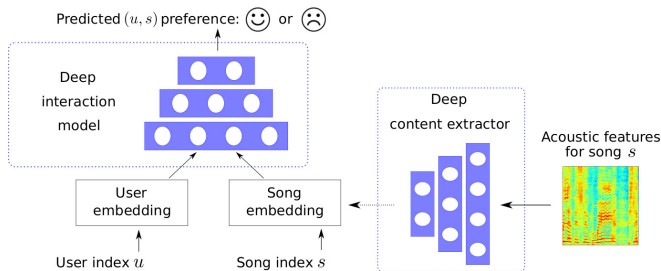
## Content-aware collaborative filtering:

$$p_{u,s} = \psi(\mathbf{w}_u, \mathbf{h}_s) \quad \text{with} \quad \mathbf{h}_s \approx \phi(\mathbf{x}_s)$$

- ▶ Decompose the observed data with latent factors that characterize *user preferences*  $\mathbf{w}_u$  and *songs attributes*  $\mathbf{h}_s$ .
- ▶ Regularize the song factor  $\mathbf{h}_s$  with side content information (=acoustic features  $\mathbf{x}_s$ ) to enable cold-start recommendation.

**Proposal:** Leverage deep learning for modeling both  $\psi$  (refined user/song interactions) and  $\phi$  (extract relevant content features).

# Deep learning for music recommendation (P. Magron, C. Févotte)

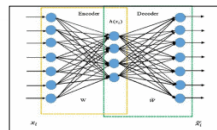


State-of-the-art performance (NDCG in %, higher is better):

Interaction	Content extractor	Warm-start	Cold-start
Linear	None	27.9	—
	Deep	30.4	23.8
Deep	None	38.8	—
	Deep	<b>40.9</b>	<b>25.9</b>



# Deep learning for embedded satellite image compression (1/2)



## ► Motivations

- Impressive performance, in terms of rate-distortion trade-off, of learned image compression methods based on convolutional neural networks (CNN).
- Strong computational constraints on board satellites.

## ► Goals

- Design a reduced-complexity CNN-based image compression framework that outperforms current embedded compression algorithms.
- Design a CNN-based framework that could integrate other functionalities of the satellite image processing chain e.g. denoising.

Collaborators: Vinicius Alves de Oliveira<sup>[1,2]</sup>, Marie Chabert<sup>[1]</sup>, Thomas Oberlin<sup>[3]</sup>, Charly Poulliat<sup>[1]</sup>, Mickael Bruno<sup>[4]</sup>, Christophe Latry<sup>[4]</sup>, Mikael Carlván<sup>[5]</sup>, Simon Henrot<sup>[5]</sup>, Frederic Falzon<sup>[5]</sup>, Roberto Camarero<sup>[6]</sup>

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# Deep learning for embedded satellite image compression (2/2)

- ▶ Two contributions:
  - ▶ Reduced-complexity end-to-end variational autoencoder for on board satellite image compression.
    - ▶ Starting from a state-of-the-art framework, drastic dimension reduction targeting the number of layers, of filters, the size of the filters and the activation functions.
    - ▶ Proposition of a simplified entropy model adapted to the representation learned from satellite images.
  - ▶ Learned-based satellite image denoising and compression. Two proposals for different types of Earth observation missions:
    - ▶ Joint compression and denoising using a single on board framework.
    - ▶ Sequential learned compression (on board) and denoising (on ground).